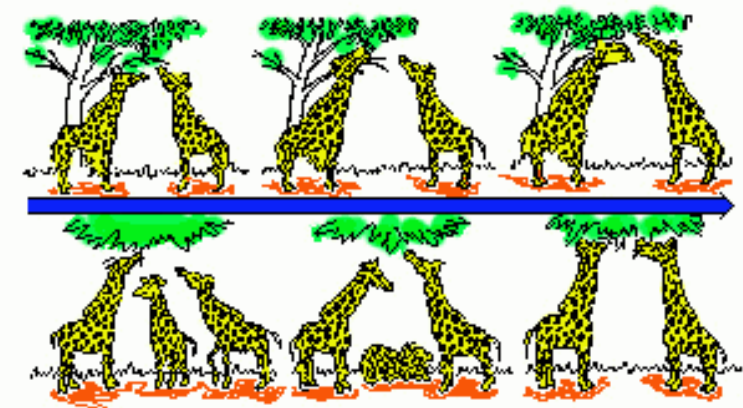


ATMS

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ATMS

- Assumption-based TMS
 - de Kleer, J.

- TMS
 - 計算コスト: 多くの解が必要なとき非効率的
 - Inefficient data-dependency backtracking

- ATMS
 - Multiple contexts



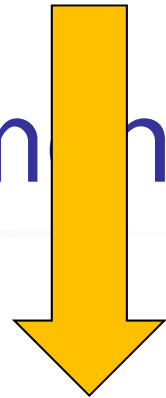
ATMSのデータ

- Premise $\langle P, \{\{\}\}, \{\{\}\} \rangle$
- Choise
- Assumption $\langle A, \{\{A\}\}, \{\{A\}\} \rangle$
- Node $\langle \text{datum}, \text{label}, \text{justification} \rangle$
 - Label = $\{\text{env}_1, \dots, \text{env}_m\}$

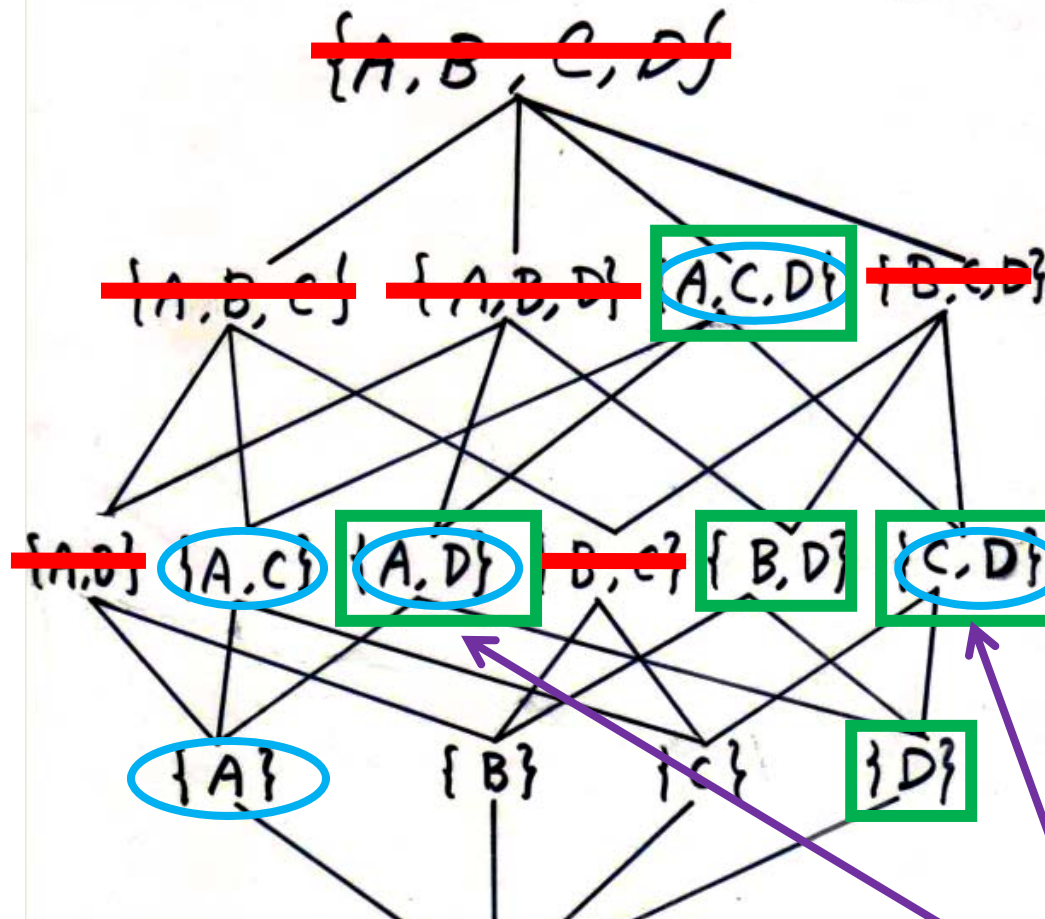
$$\gamma_{x+y=1} := \langle x + y = 1, \{\{A\}, \{C, D\}\}, \{\dots\} \rangle$$

$$\gamma_{x=1} := \langle x = 1, \{\{D\}\}, \{\dots\} \rangle$$

ATMS: Extension environments



$$\gamma_{x+y=1}, \gamma_{x=1} \Rightarrow \gamma_{y=0}$$



Nogood{A,B}
Nogood{B,C}

greatest lower
bounds of the
intersection

$$\gamma_{y=0} := \langle y = 0, \{\{A, D\}, \{C, D\}\}, \{\dots\} \rangle$$

Environment
lattice



ATMS : 例

1. 直角三角形

■ $x^2 + y^2 = z^2$

2. x を 3 とする

3. $\{x \neq v - 4\}$ を満たす

ATMS : 例

■ Premise P_1 $\langle x^2 + y^2 = z^2, \{\{\}\}, \{()\} \rangle$

■ Assumption A_1 $\langle x = 3, \{\{x = 3\}\}, \{(x = 3)\} \rangle$

$z=5$ の成り立つ環境:

$\{x = 3, w = 6\} \subset \{x = 3, w = 6, u = 8\} \dots$

■ Nodes

N_1 $\langle y = 4, \{\{w = 6\}\{v = 7\}\}, \dots \rangle$

N_2 $\langle z = 5, \{\{x = 3, w = 6\}\}, \{(P_1, A_1, N_1) \dots\} \rangle$

■ Nogood $\{x = v - 4\}$

$\{x = 3, w = 6\}\{x = 3, v = 7\}$

$z=5$ のsupport



ATMSの特色

- Multiple Contexts
 - 充足性の判定がsubset testでできるので効率的である
- Data-dependency backtracking を回避
 - 効率性の向上
 - “Back to backtracking”, AAAI86, by deKleer



Nクイーン問題とATMS

- Label updatesによる解法

1. Make assumptions $Queen_{i,j}$ for each position of $n \times n$ board.
2. Make nogoods for capturing Position pair on different rows.
3. Create nodes for 1st-row Queens $Pos_{i,1}$ and Justify it with its position: $Queen_{i,1} \Rightarrow Pos_{i,1}$.
4. Repeat for $2 \leq k \leq n$,
 $Pos_{i,k}, Queen_{j,k-1} \Rightarrow Pos_{i,k}$
5. Gather labels of $Queen_{i,n}$ for n . \implies solutions.